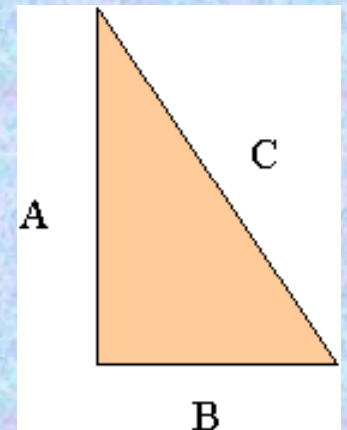


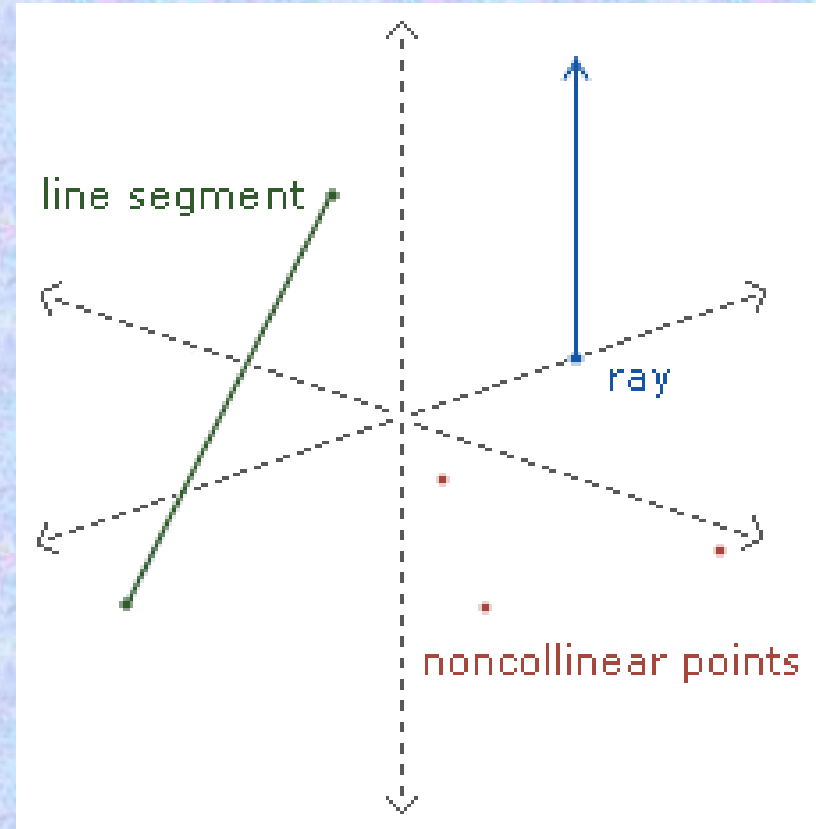
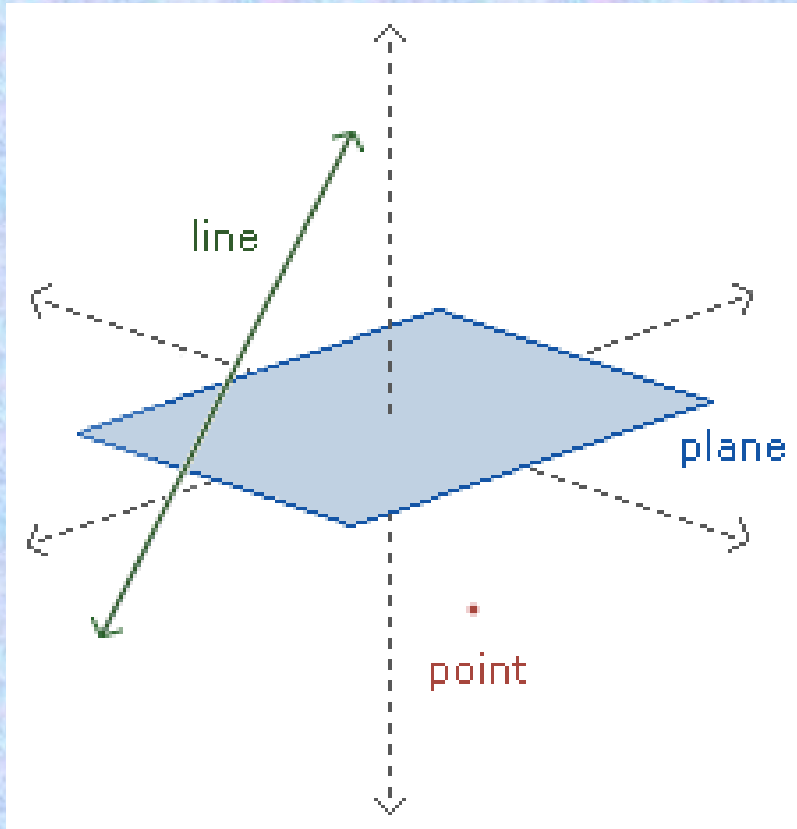
STUDY GUIDE FOR GEOMETRY!

FOR: MRS. GOODHUE'S CLASS

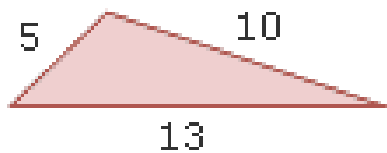
BY: MRS. CAMUTO



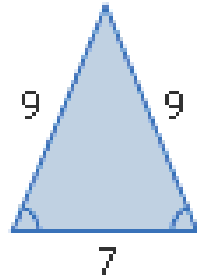
WHAT ARE THE TYPES OF LINES?



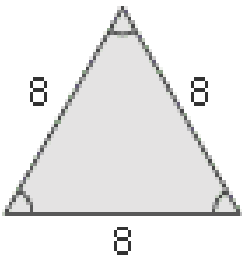
TYPES OF TRIANGLES



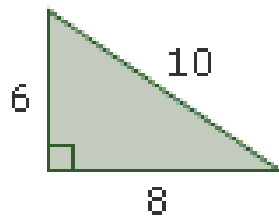
scalene triangle



isosceles triangle



equilateral triangle



right triangle

- SCALENE –

A triangle where none of the sides are equal.

- ISOSCELES –

A triangle where TWO sides are equal.

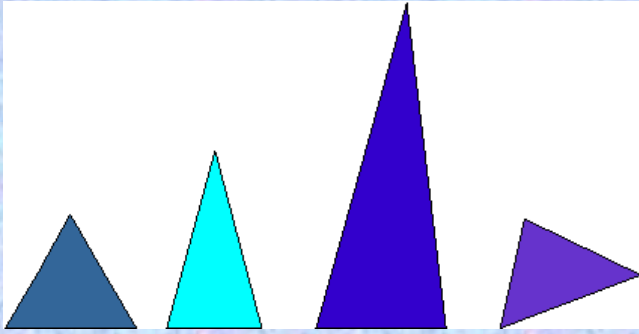
- EQUILATERAL –

A triangle where ALL THREE sides are equal.

- RIGHT –

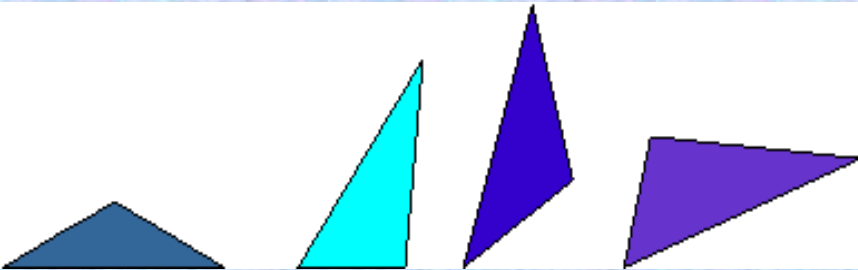
A triangle which has ONE right angle.

TYPES OF TRIANGLES ; BY ANGLE



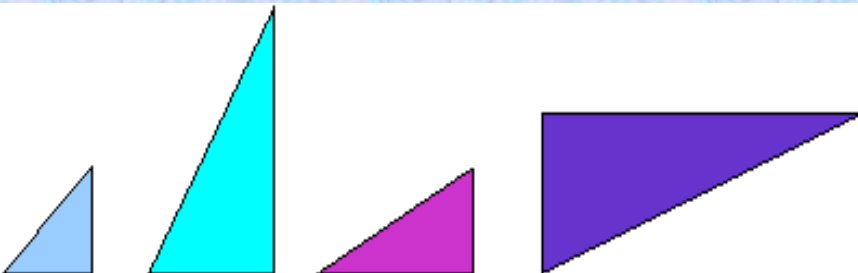
- **Acute Triangle**

A triangle having three acute angles.



- **Obtuse Triangle**

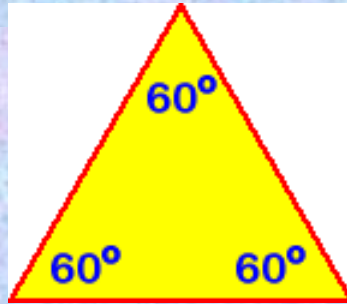
A triangle having an obtuse angle. One of the angles of the triangle measures more than 90 degrees



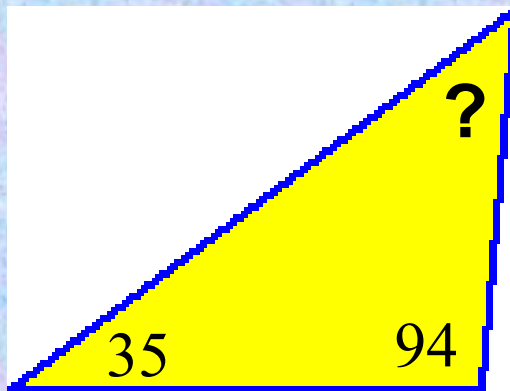
- **Right Triangle**

A triangle having a right angle. One of the angles of the triangle measures 90 degrees.

HOW TO FIND THE MEASURE OF A THIRD ANGLE IN A TRIANGLE!



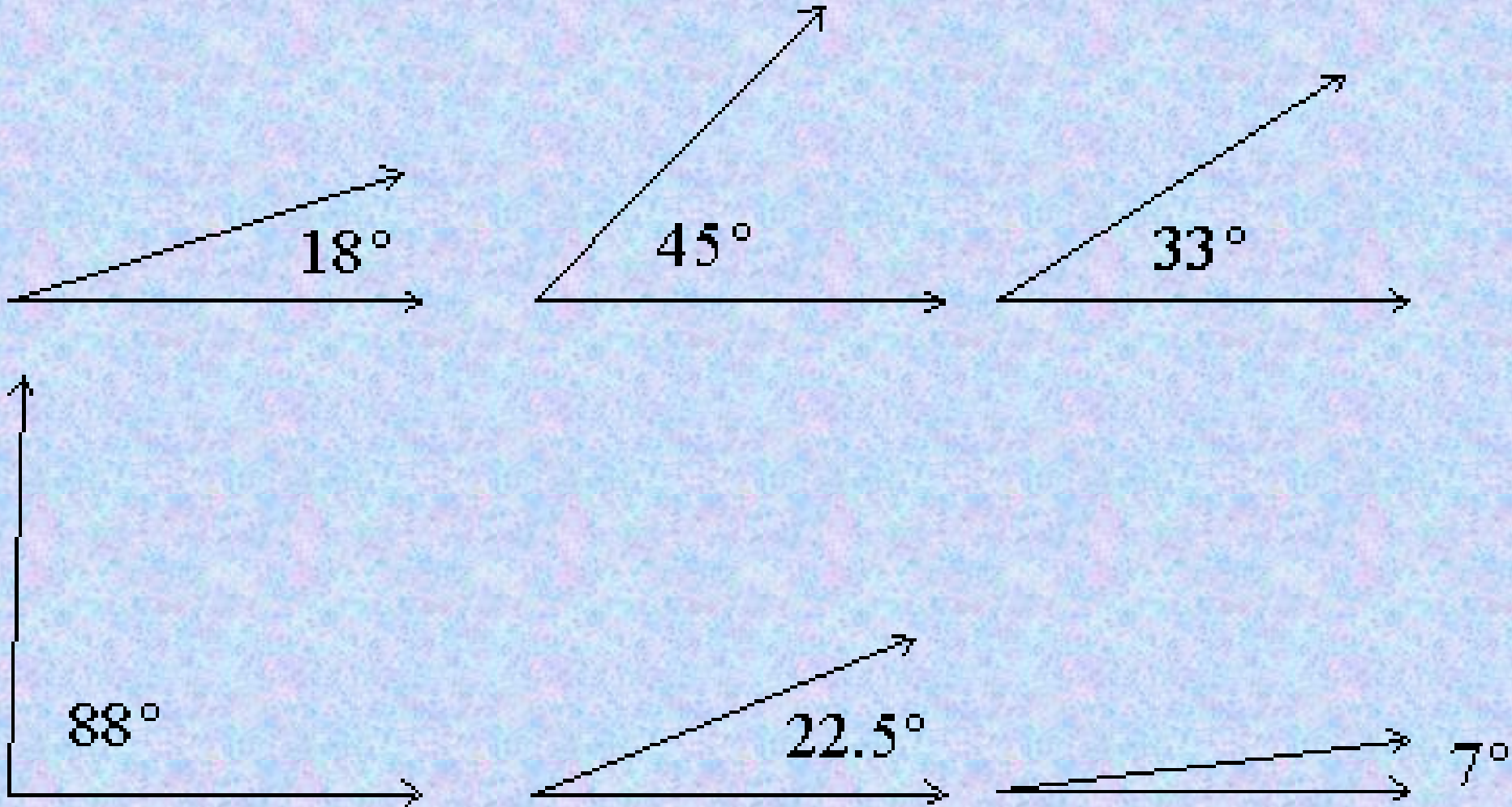
- The sum of the measures of the interior angles of a triangle is 180 degrees.



Can you find the measure of the third angle?

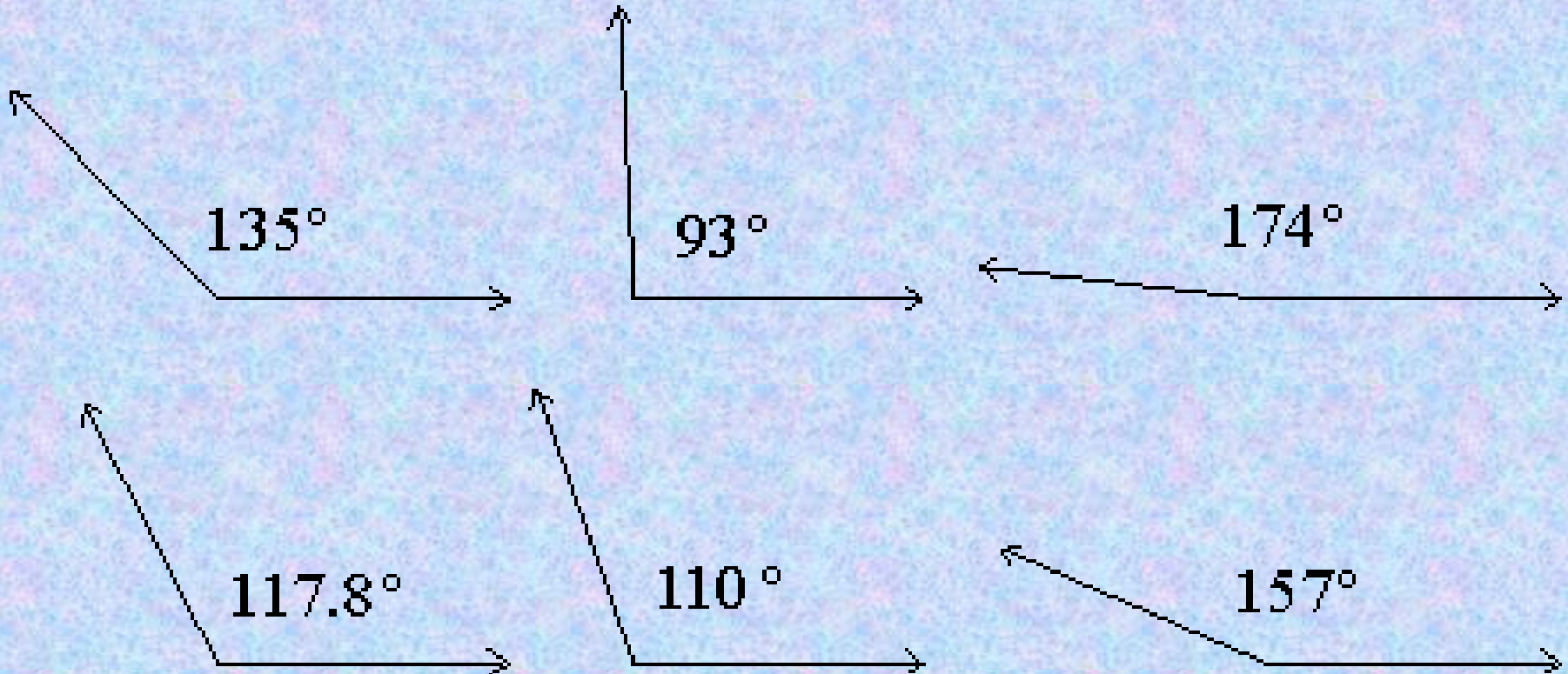
Acute Angles

- An acute angle is an angle measuring between 0 and 90 degrees.



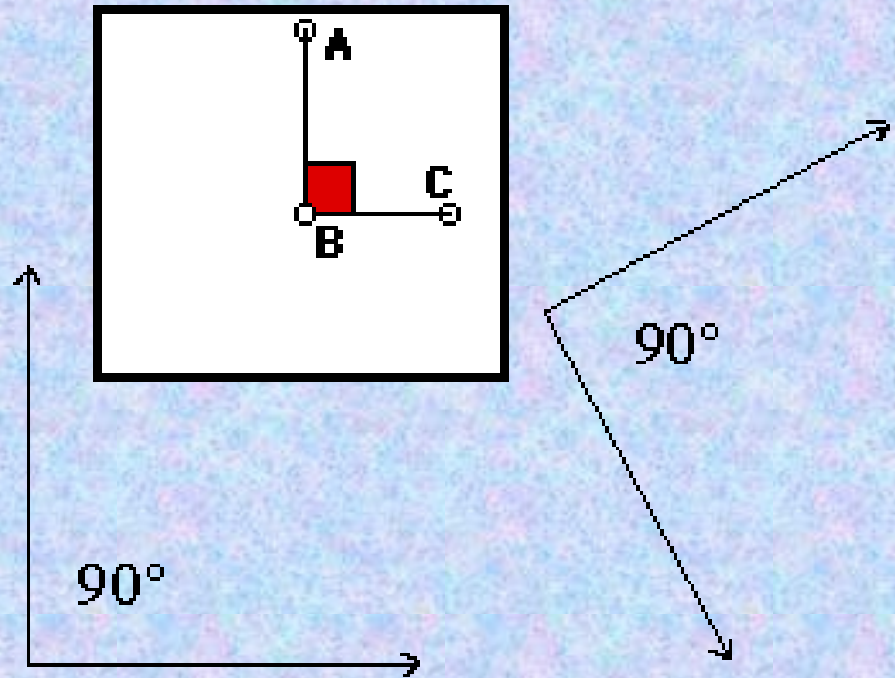
Obtuse Angles

An obtuse angle is an angle measuring between 90 and 180 degrees.



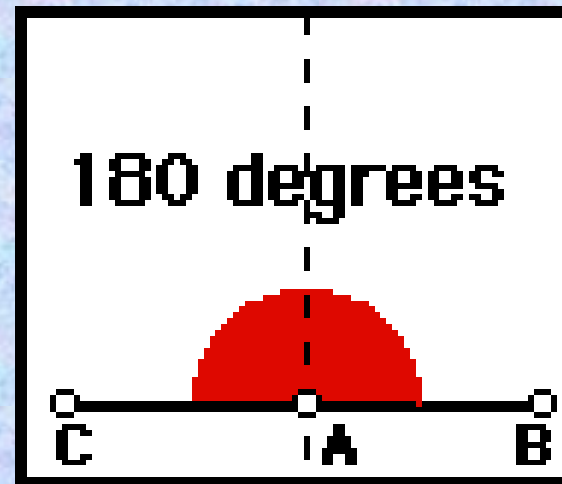
Right Angles

- A right angle is an angle measuring 90 degrees.



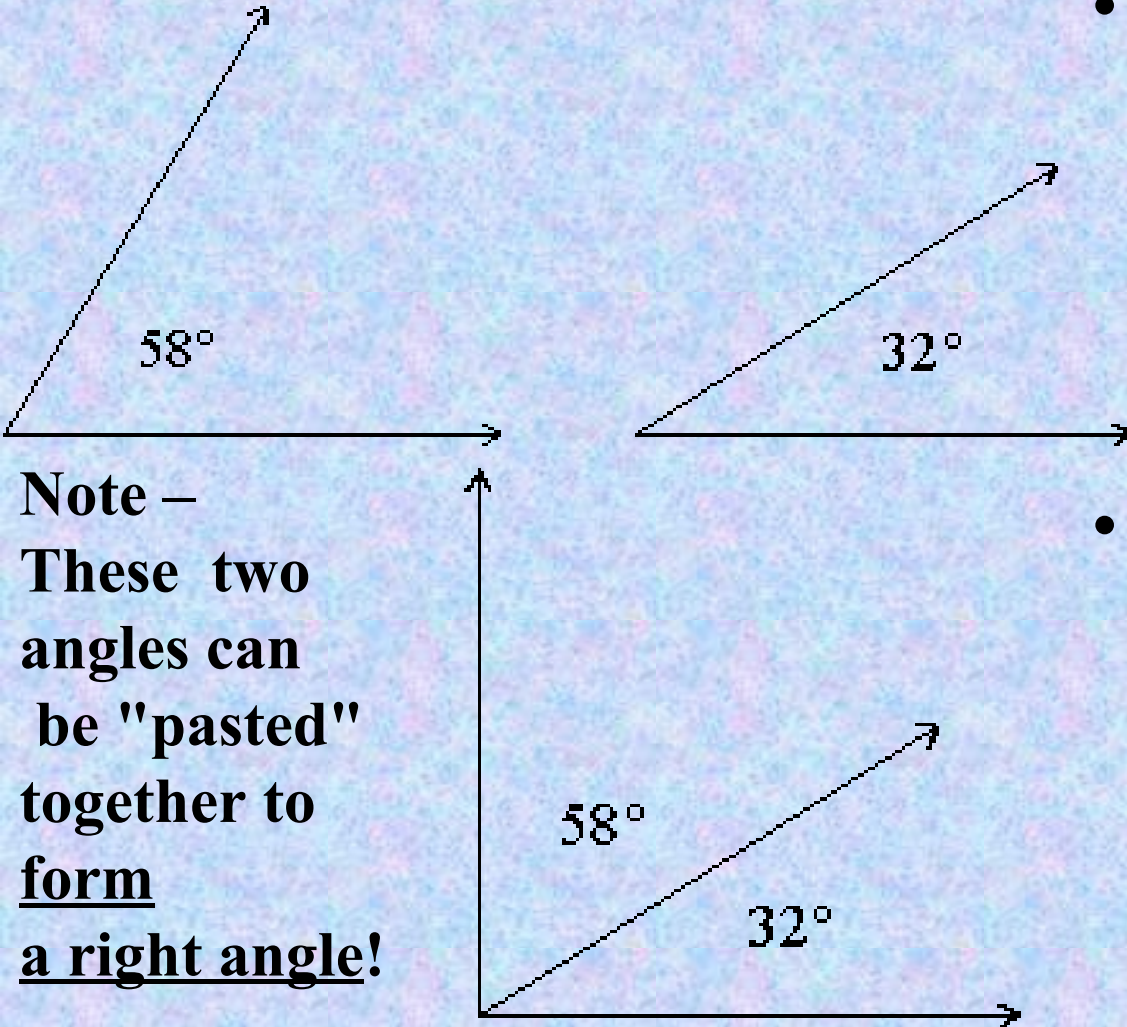
Straight Angles

- A straight angle is an angle that measures 180 degrees.



Complementary Angles

These two angles are complementary.

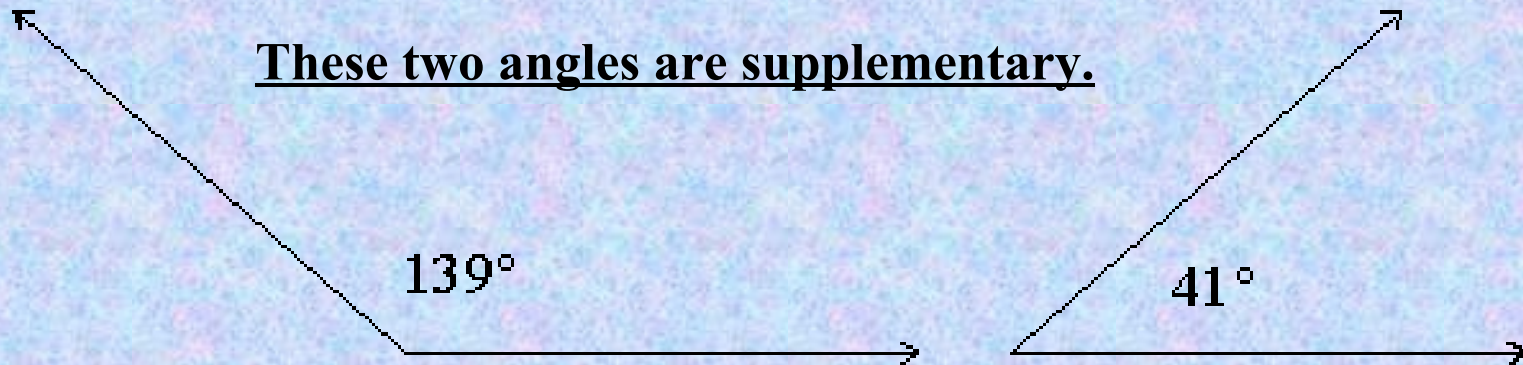


Note –
These two angles can be "pasted" together to form a right angle!

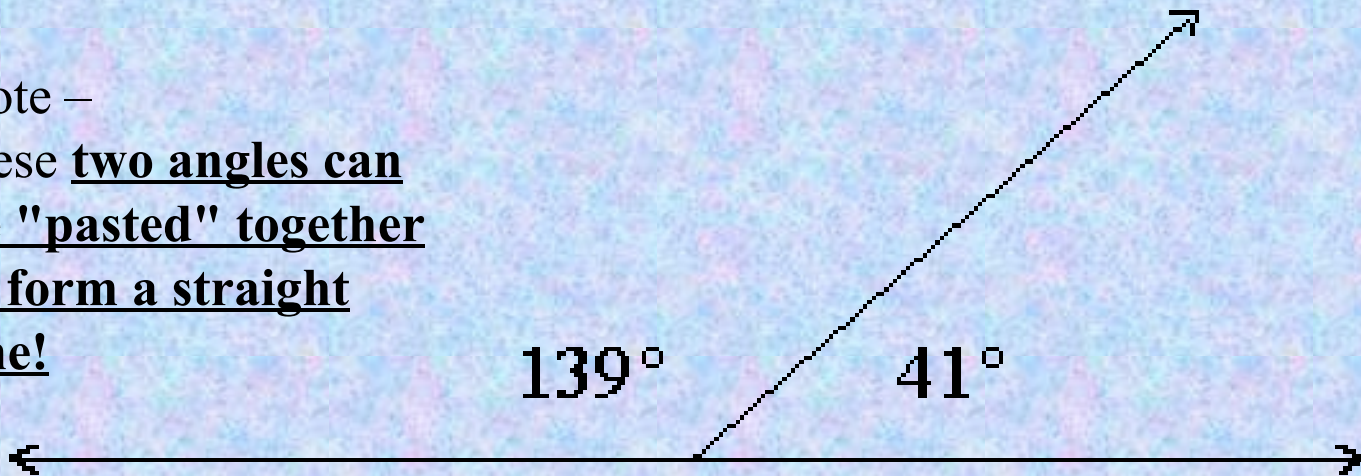
- Two angles are called complementary angles if the sum of their degree measurements equals 90 degrees.
- One of the complementary angles is said to be the complement of the other.

Supplementary Angles

- Two angles are called supplementary angles if the sum of their degree measurements equals 180 degrees.
- One of the supplementary angles is said to be the supplement of the other.

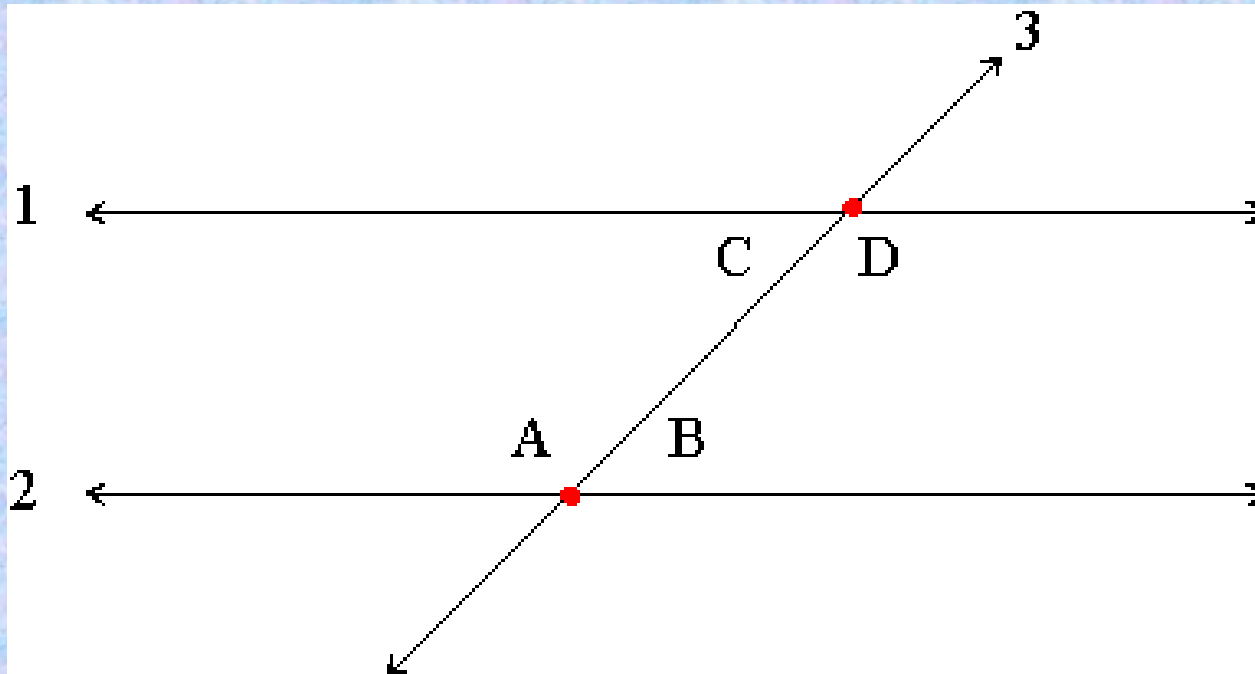


Note –
these **two angles can be "pasted" together to form a straight line!**



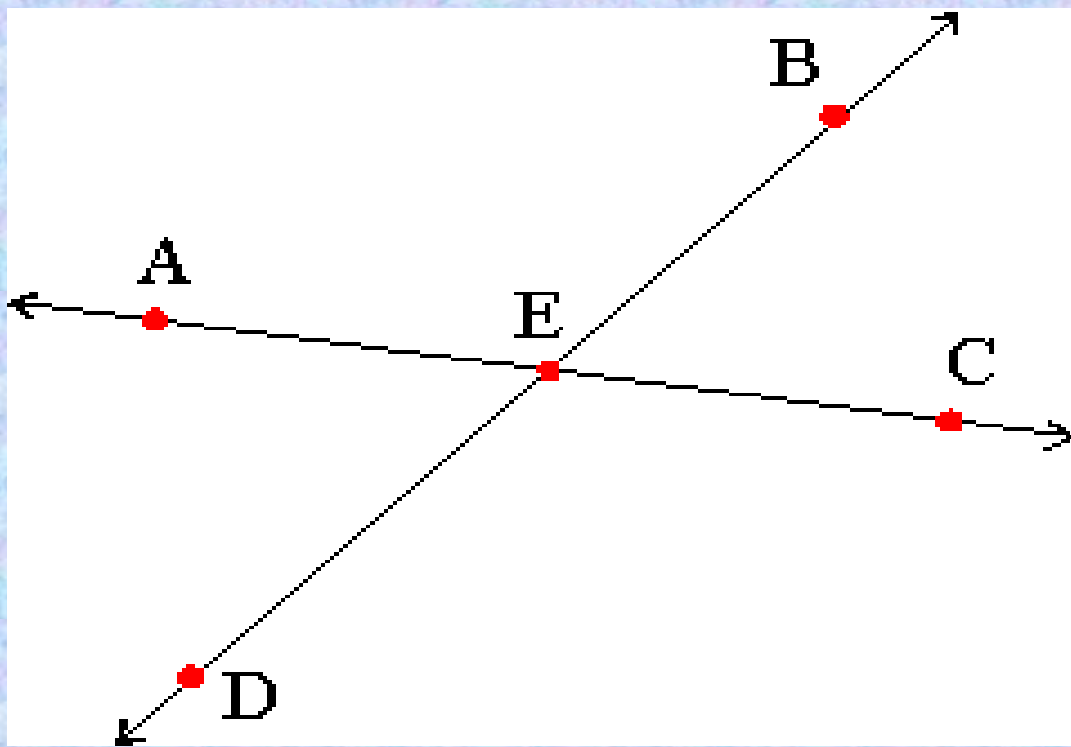
Alternate Interior Angles

- Parallel lines 1 and 2 are both intersected by a third line, line 3.
- Angle A and Angle D are called alternate interior angles.
- Angle B and Angle C are also alternate interior angles.
- Alternate interior angles have the same degree measurement.



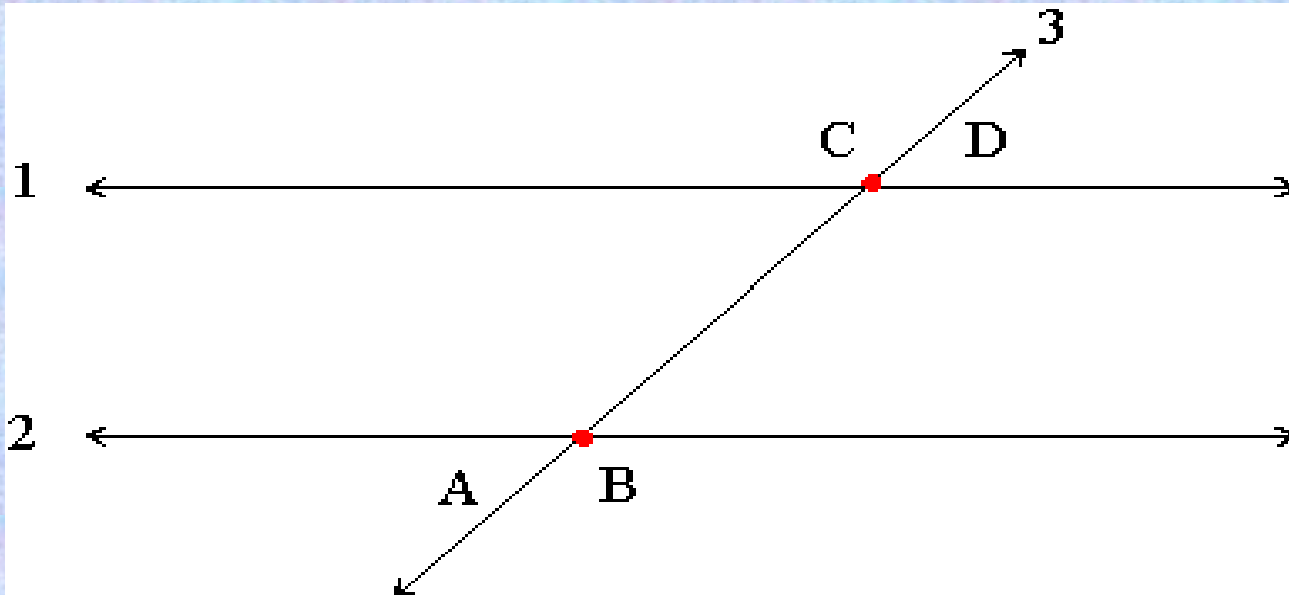
Vertical Angles

- When any two lines meet, such as in the diagram below, angle AEB and angle DEC are called vertical angles.
- Angle BEC and angle AED are also vertical angles.
- Vertical angles have the same degree measurement.



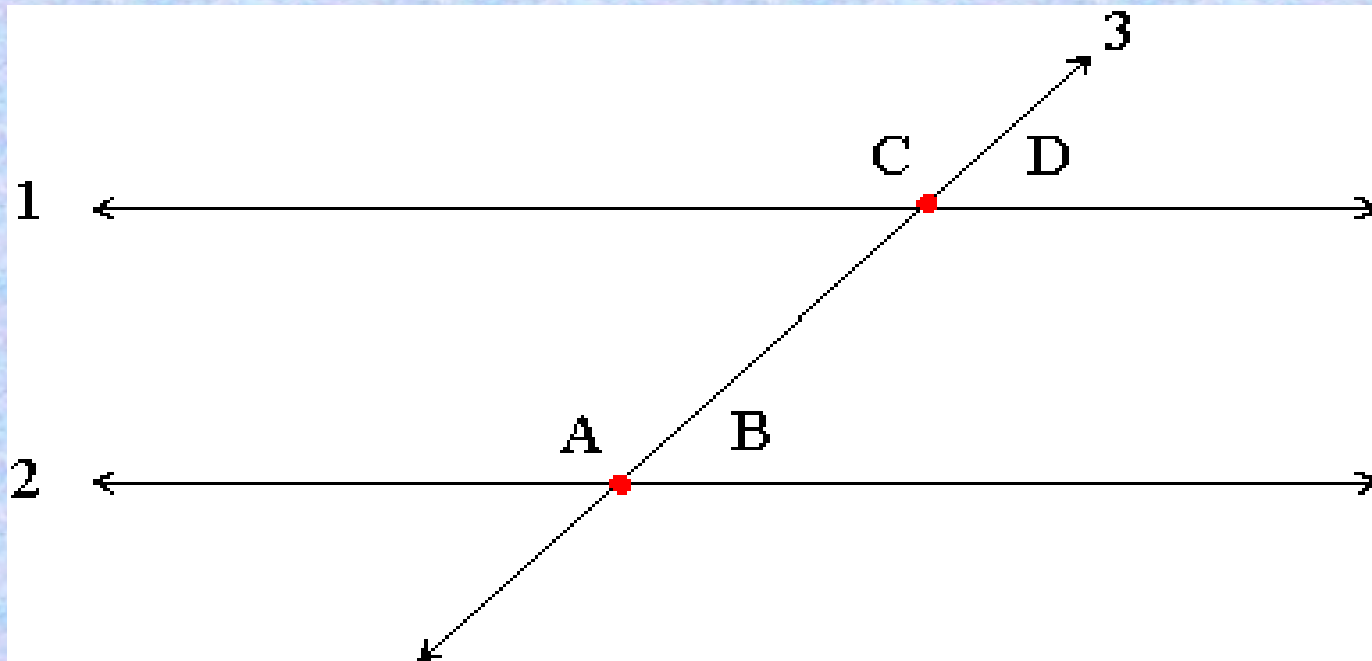
Alternate Exterior Angles

- Parallel lines 1 and 2, are intersected by a third line, line 3.
- Angle A and Angle D are called alternate exterior angles.
- Angle B and Angle C are also alternate exterior angles.
- Alternate exterior angles have the same degree measurement.



Corresponding Angles

- Parallel lines 1 and 2, are both intersected by a third line, line 3.
- Angle A and Angle C are called corresponding angles.
- Angle B and Angle D are also corresponding angles.
- Corresponding angles have the same degree measurement.

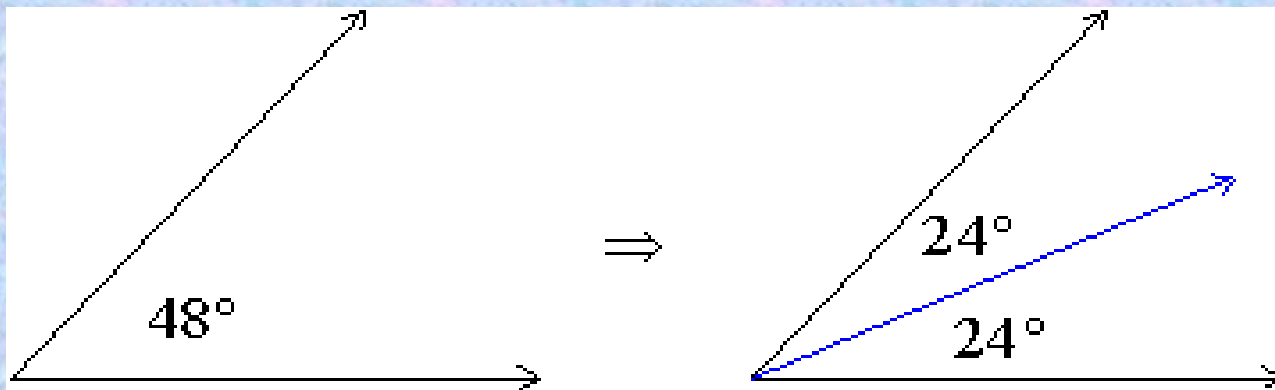


Angle Bisector

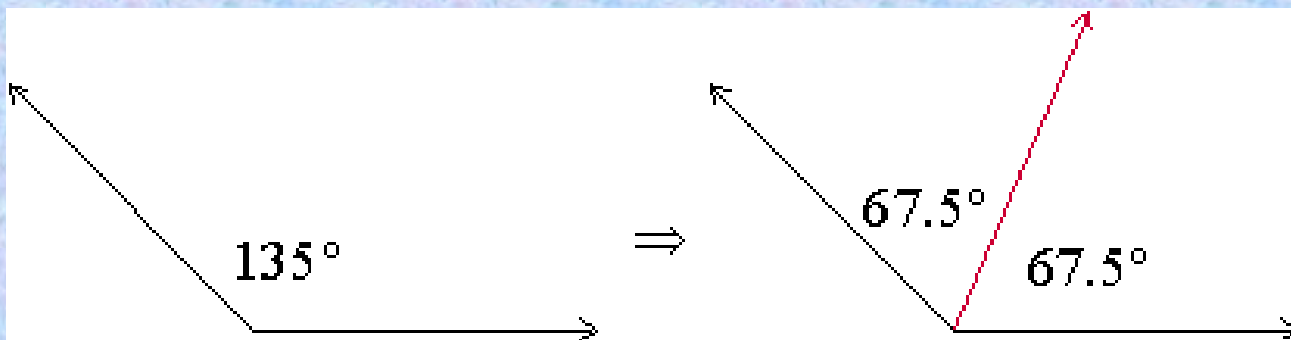
- An **angle bisector** is a ray that **divides an angle into two equal angles**.

• Example:

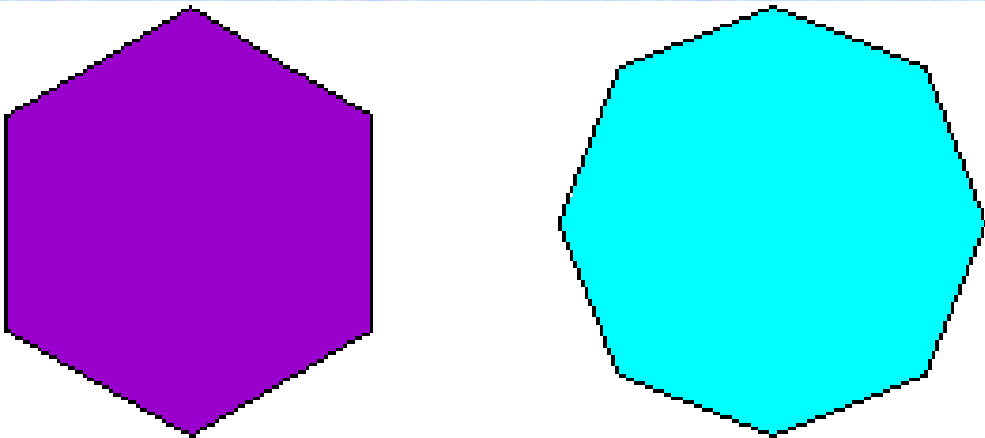
- The blue ray on the right is the angle bisector of the angle on the left -



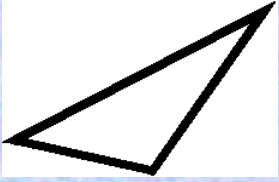
- The red ray on the right is the angle bisector of the angle on the left -



REGULAR POLYGONS!



- These can be ANY numbered sided figures.
- ALL SIDES and ANGLES are EQUAL!

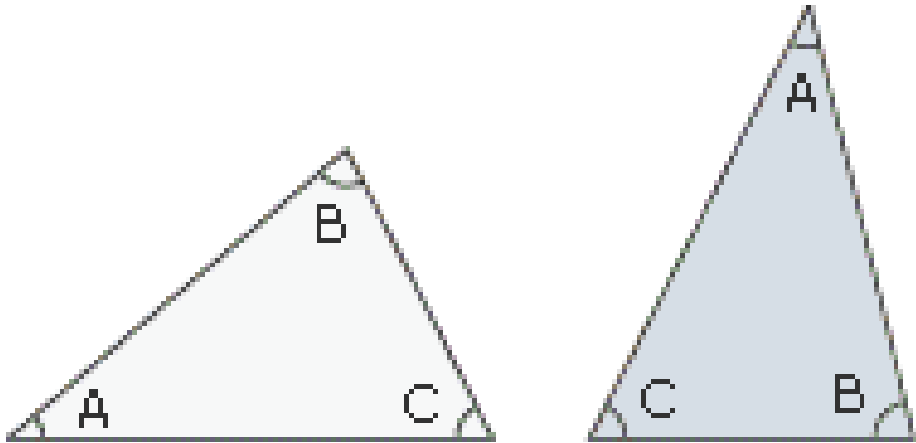


CONGRUENT!

- CONGRUENT –

Means the same thing as

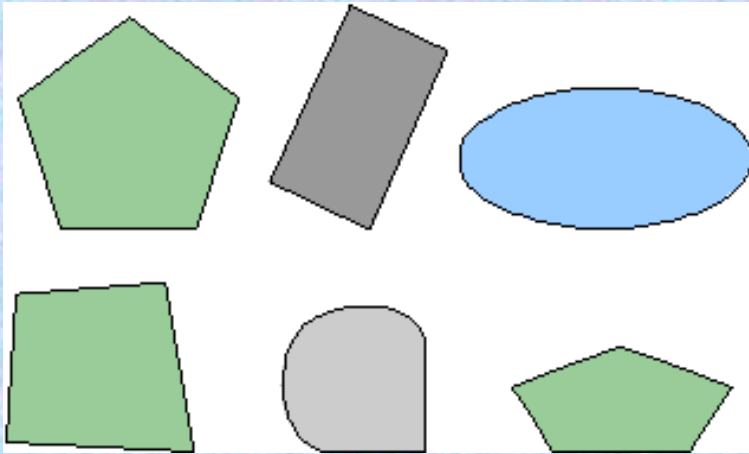
EQUAL!



congruent triangles

**This can be applied to
angles, sides of
polygons, polygons and
circles!**

CONCAVE AND CONVEX!

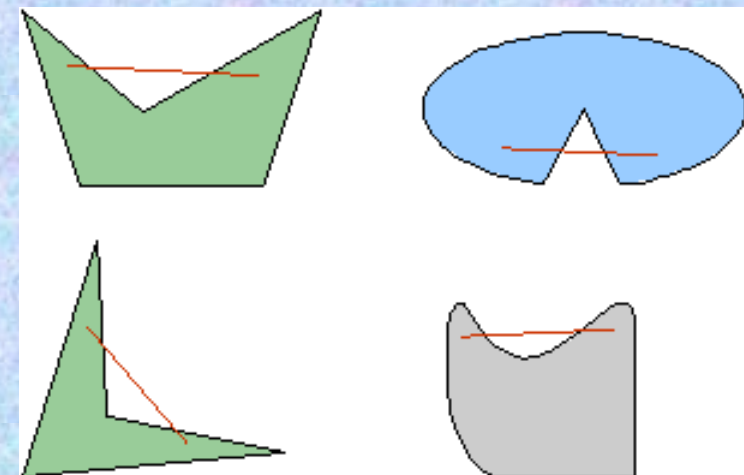


- **Convex**

A figure is convex if every line segment drawn between any two points inside the figure lies entirely inside the figure.

CONCAVE

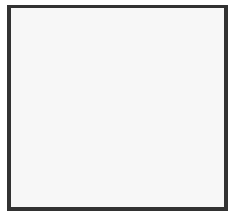
A figure that is not convex is called a concave figure.



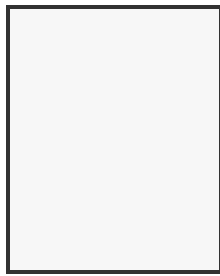
**Note the red line segment drawn between two points inside the figure that also passes outside of the figure.

QUADRILATERALS

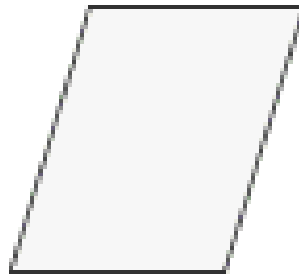
- A four-sided polygon.
- The sum of the angles of a quadrilateral is 360 degrees.



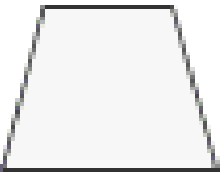
square



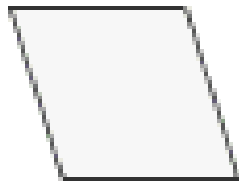
rectangle



parallelogram



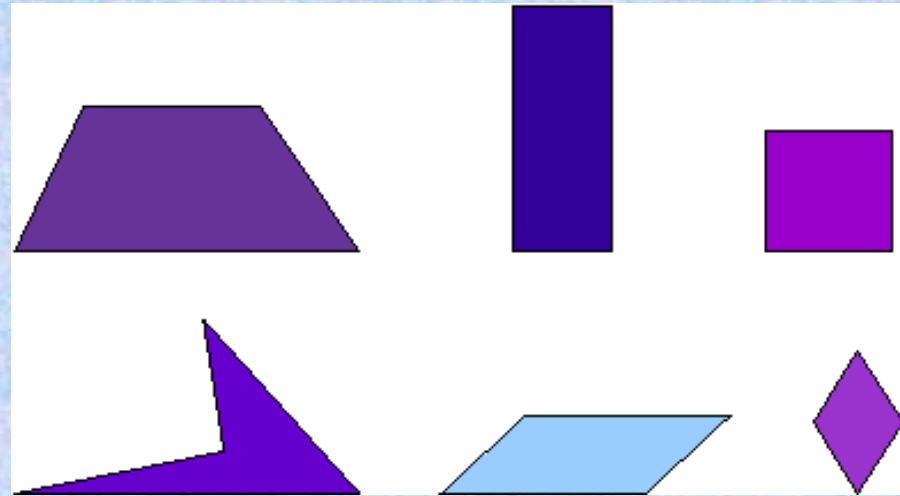
trapezoid



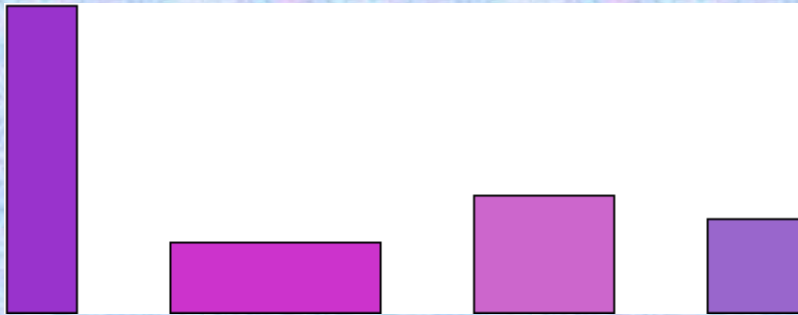
rhombus



irregular
quadrilateral

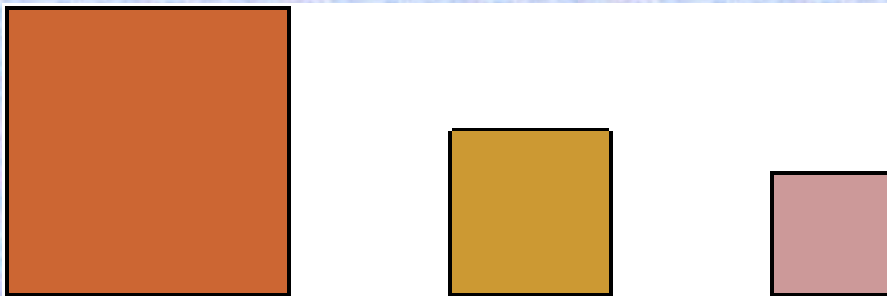


TYPES OF QUADRILATERALS



- Rectangle

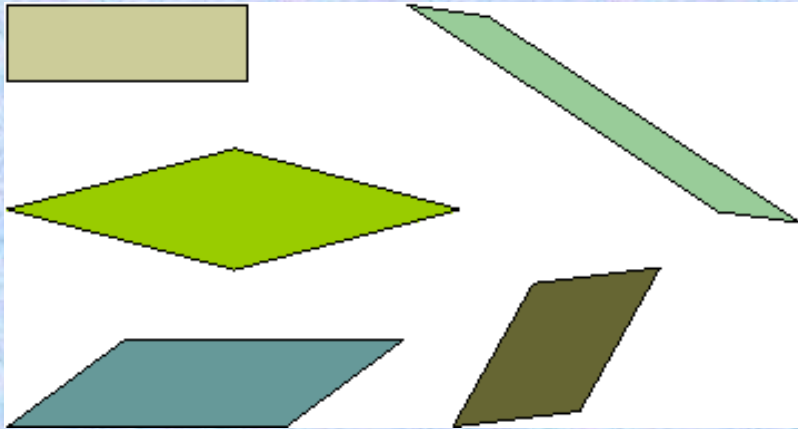
A four-sided polygon having all right angles.



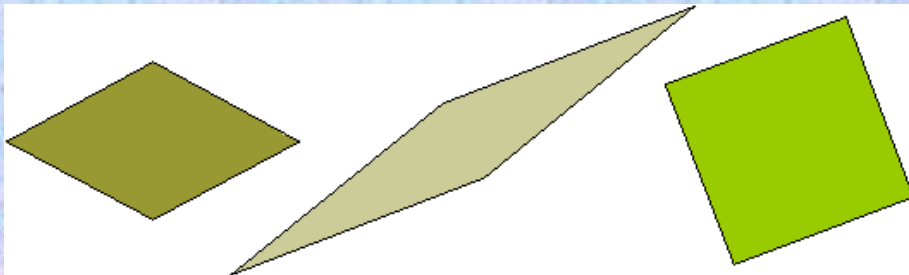
- Square

A four-sided polygon having equal-length sides meeting at right angles.

TYPES OF QUADRILATERALS



- **Parallelogram**
A four-sided polygon with two pairs of parallel sides.

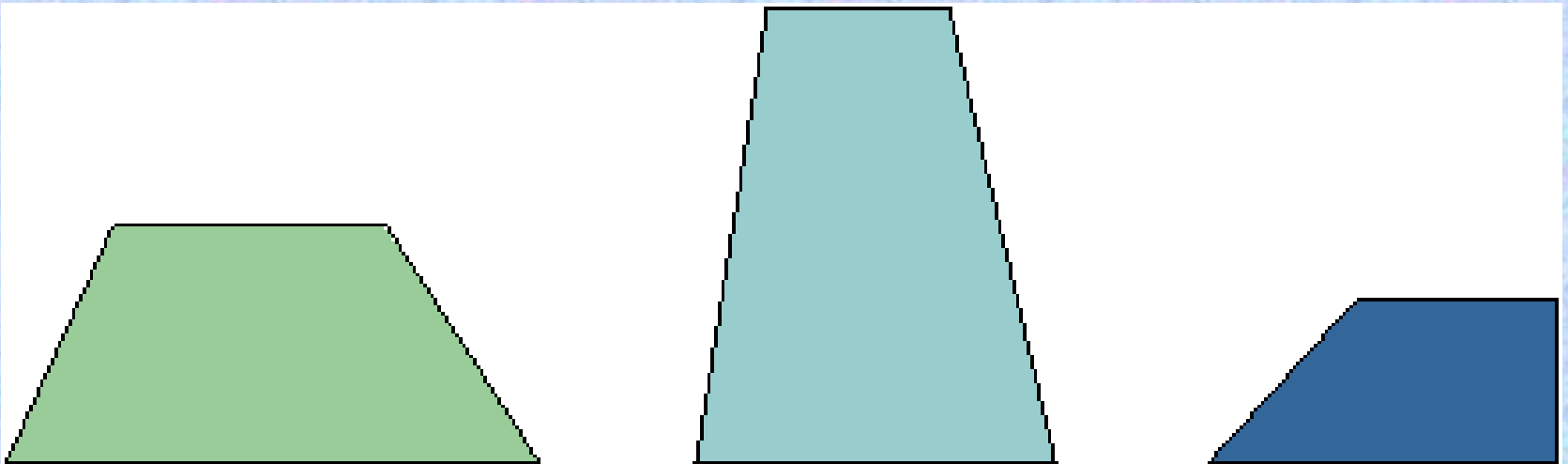


- **Rhombus**
A four-sided polygon having all four sides of equal length.

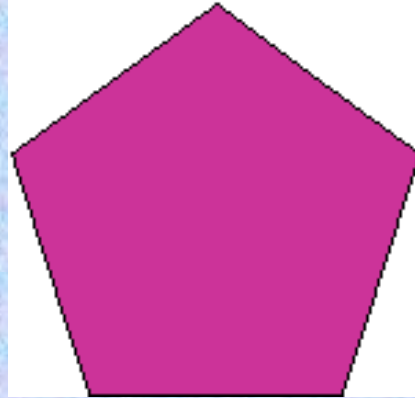
1 MORE QUADRILATERAL!

- **Trapezoid -**

A four-sided polygon having exactly one pair of parallel sides. The two sides that are parallel are called the bases of the trapezoid.

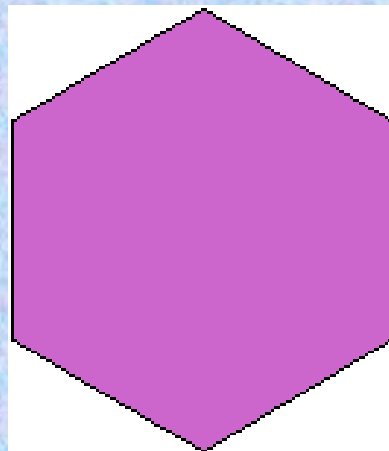
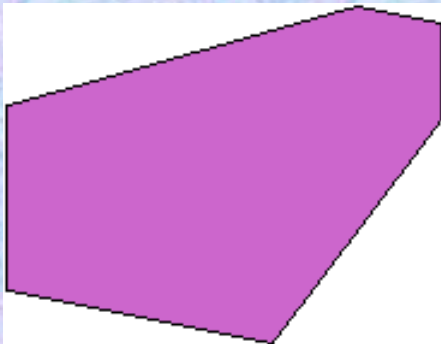


FIVE AND SIX SIDED POLYGONS!



- Pentagon

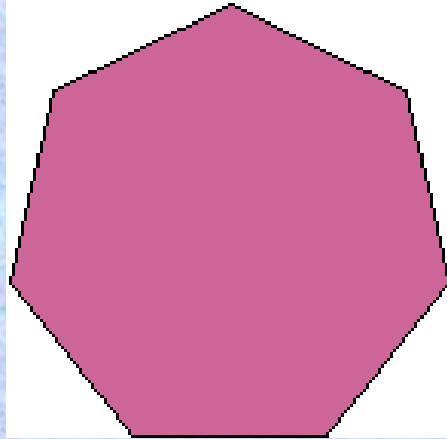
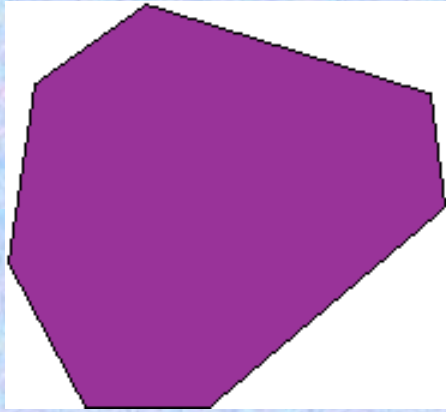
A five-sided polygon. The sum of the angles of a pentagon is 540 degrees.



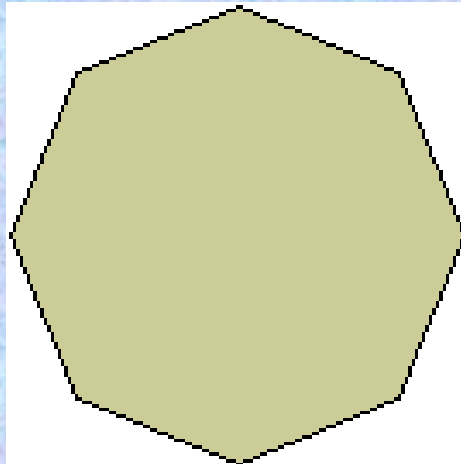
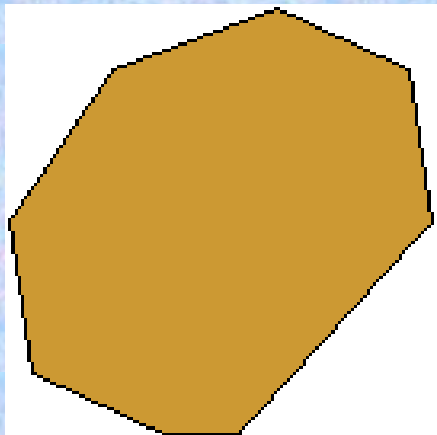
Hexagon

A six-sided polygon. The sum of the angles of a hexagon is 720 degrees

SEVEN AND EIGHT SIDED FIGURES!

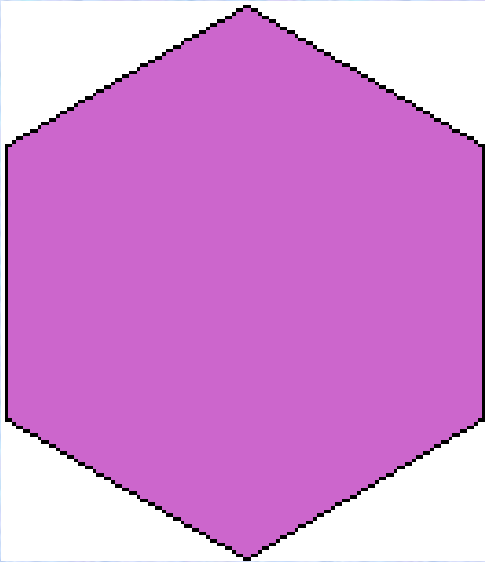


- Heptagon
A seven-sided polygon. The sum of the angles of a heptagon is 900 degrees.



- Octagon
An eight-sided polygon. The sum of the angles of an octagon is 1080 degrees.

HOW MANY TOTAL DEGREES DOES THE ANGLES OF THIS HEXAGON HAVE?



- To find out how many degrees in all the INTERIOR angles of this hexagon, you need to use the following formula:

**Sum of the = (number of sides - 2) X 180
angles**

FOR EXAMPLE:

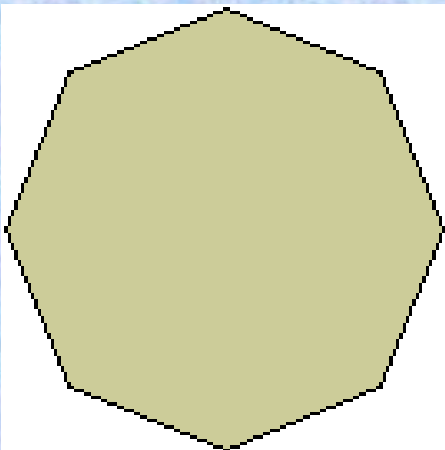
$$S = (6 - 2) \times 180$$

$$S = (4) \times 180$$

$$S = 720 \text{ DEGREES}$$

YOUR TURN! TRY THE OCTAGON!

(Use the same formula as above!)



NOW, CAN YOU FIGURE OUT HOW MANY DEGREES EACH ANGLE HAS?

- FIRST –

Find the sum of the angles using the formula: $S =$
(number of sides -2) \times 180.

$$S = (5 - 2) \times 180$$

$$S = 3 \times 180$$

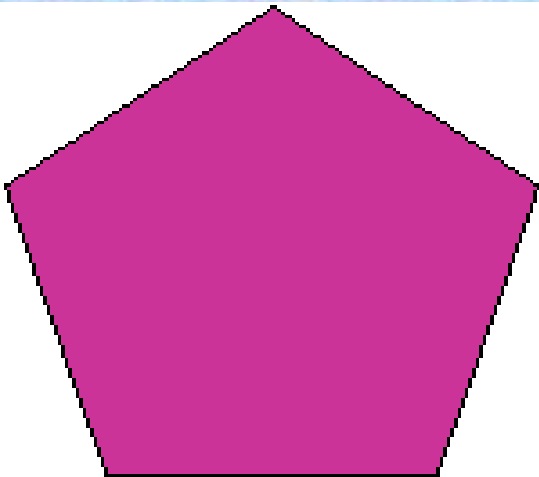
$$S = 540$$

Now: Take the SUM OF THE ANGLES and
DIVIDE the SUM by NUMBER OF SIDES.

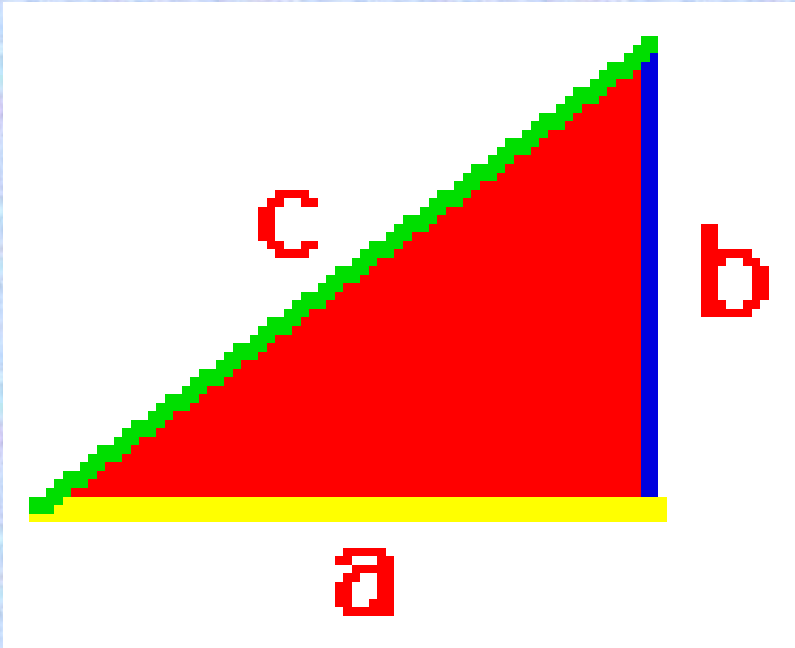
$$\# \text{ of degrees} = \frac{\text{sum of angles}}{\text{number of sides}}$$

$$\# \text{ of degrees} = \frac{540}{5}$$

$$\# \text{ of degrees} = 108 \text{ degrees}$$



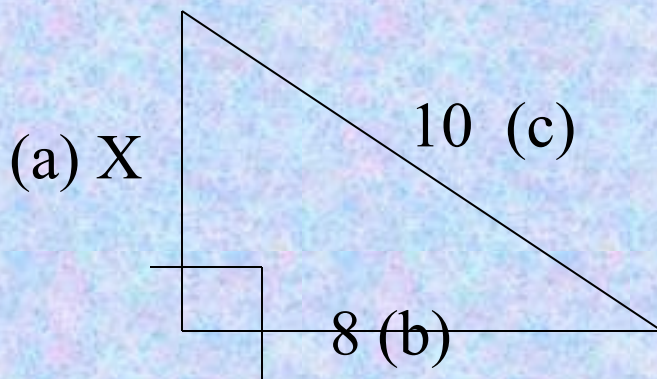
Pythagorean Theorem



- In algebraic terms,

$$a^2 + b^2 = c^2$$

where **c** is the hypotenuse while **a** and **b** are the sides (LEGS) of the triangle.



HOW DO YOU FIND X?

$$a^2 + b^2 = c^2 \quad (\text{YOU SOLVE IT!})$$

CONVERSIONS YOU MUST KNOW!

LIQUIDS/ DRY GOODS –

U.S. STANDARD MEASURE

- 1 cup = 8 fluid ounces
- 1 pint = 2 cups
- 1 quart = 2 pints
- 1 gallon = 4 quarts
- 1 pound = 16 ounces
- 1 ton = 2,000 pounds

TIME –

- 1 hour = 60 minutes
- 1 minute = 60 seconds
- 1 year = 365 days

LENGTH –

- 1 foot = 12 inches
- 1 yard = 3 feet

METRICS –

- 1 kilogram = 1000 grams
- 1 Liter = 1000 milliliters
- 1 centimeter = 10 millimeters
- 1 meter = 100 centimeters